

## M5: Determination of background radiation and verification of the inverse square law of gamma radiation

### Theory:

The elements those exhibits radioactivity are known as radioactive substances. When the nucleus of an atom emits  $\alpha$ ,  $\beta$  and  $\gamma$ -radiation, the process is known as radioactive decay. Geiger Müller (G-M) counter is an instrument used for measuring ionization radiations ( $\alpha, \beta, \gamma$ ).

The intensity of electromagnetic radiations like  $\gamma$ -rays, X-rays and ordinary light falls off inversely as the square of the distance from the source of radiation.  $\gamma$ -rays emitted by a radioactive source (*i.e.*,  $^{137}\text{Cs}$ ) and a G-M counter are used to study the variation of  $\gamma$ -rays intensity in air and hence to prove the inverse square law.

To prove this law let us assume that the intensity ( $I$ ) varies inversely as some power  $m$  of the distance ( $r$ ) between the source and the detector. Or,

$$I \propto \frac{1}{r^m}$$

$$I = \frac{K}{r^m} \dots \dots \dots (1) \quad [K = \text{proportionality constant}]$$

Taking logarithm on both sides,

$$\ln I = \ln \left(\frac{1}{r}\right)^m + \ln K$$

$$\ln I = m \ln \left(\frac{1}{r}\right) + \ln K \dots \dots \dots (2)$$

Equ. (2) is similar in form to that of an equation of a straight line. If the logarithmic value of  $\gamma$ -ray intensity ( $\ln I$ ) is plotted along the Y-axis and the logarithmic value of inverse of the distance  $\ln \left(\frac{1}{r}\right)$  is plotted along the X-axis on a graph paper, resulting graph will be a straight line. In this experiment,  $\gamma$ -ray intensity is determined by counts per minute, which is recorded using GM-counter. The objective of this experiment is to find the slope of the straight line which should ideally be 2.0 (two) so that Equ. 1 reduces to,

$$I = \frac{K}{r^2} \dots \dots \dots (3)$$

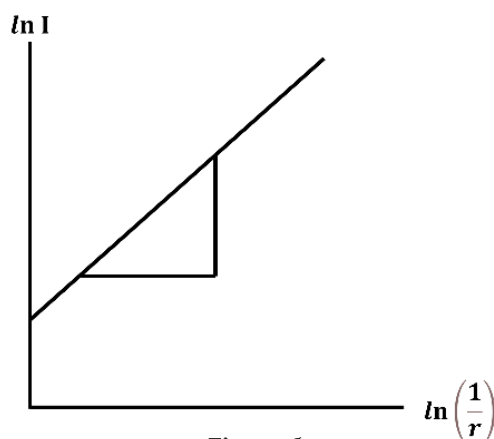
This will verify the inverse square law of radiation,

### Apparatus:

- i. G-M counter
- ii.  $^{137}\text{Cs}$  radioactive source

**Procedure:**

- (i) Open the GM counter box, set it on and wait for **5 minutes**.
- (ii) Press the “**DISPLAY SELECT**” button of the counter, take the pointer at the “**HIGH VOLTAGE**” position and set the operating voltage at **840 volts** using “**UP/DOWN**” buttons.
- (iii) Now by pressing the “**DISPLAY SELECT**” button take the pointer at “**TIME**” position and set the time at **200 sec**.
- (iv) Press the “**COUNT**” button, wait until **200 sec** is over. Take the pointer at “**COUNTS**” position by “**DISPLAY SELECT**” button and record the background count. The background count is due to the cosmic ray and radioactive substances present in the building material and environment, etc.
- (v) Take background counts for **3 (three) times** by repeating the procedure (iv).
- (vi) After each background count, reset the “**COUNTS**” by “**RESET**” button.
- (vii) Place the source at 10<sup>th</sup> shelf (From top shelf), so that the source to detector distance is maximum. Record number of counts for **200 sec**.
- (viii) Observe the count rate at different source to detector distances  $r$  (At 9<sup>th</sup> shelf), as decreasing the source to detector distances.
- (ix) Plot a graph with  $\ln I$  along the Y-axis and  $\ln\left(\frac{1}{r}\right)$  along the X-axis on a graph paper. The graph will be a straight line as shown in *Figure: 1*. The slope of the line which will give the value of  $m$ , which should be equal to **2**.



*Figure: 1*

Table 1: Determination of background count rate

Operating Voltage (Volts)	Background counts for 200 sec		Mean counts per min ( $I_B$ )
840	(i)		
	(ii)		
	(iii)		

Table 2: Table for intensity vs. distance for the verification of inverse square law

No of obs.	Source to detector distance, $r_{cm}$	$\ln\left(\frac{1}{r}\right)$	Count for 200 sec	Mean count per min ( $I_M$ )	Net count per min, ( $I=I_M- I_B$ )	$\ln I$
1						
2						
3						
4						
5						
6						
7						
8						
9						
10						

**Calculation:**

From the graph  $\ln I$  vs.  $\ln\left(\frac{1}{r}\right)$ , slope,  $m = \dots\dots\dots$

**Results:**

The power of  $r$  in the equation  $I = \frac{K}{r^m}$  is  $\dots\dots\dots$